Investigating variations in the dust emissivity index in the Andromeda Galaxy

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ABSTRACT

Over the past decade, studies of dust in the Andromeda Galaxy (M31) have shown radial variations in the dust emissivity index ($\beta$). Understanding the astrophysical reasons behind these radial variations may give clues about the chemical composition of dust grains, their physical structure, and the evolution of dust. We use $^{12}$CO($J=1\rightarrow0$) observations taken by the Combined Array for Research in Millimeter-wave Astronomy and dust maps derived from $Herschel$ images, both with an angular resolution of 8 arcsec and with spatial resolution of 30 pc, to study variations in $\beta$ across an area of $\approx18.6\text{kpc}^2$ in M31. We extract sources, which we identify as molecular clouds, by applying the ASTRODENDRO algorithm to the $^{12}$CO and dust maps, which as a byproduct allows us to compare continuum emission from dust and CO emission as alternative ways of finding molecular clouds. We then use these catalogues to investigate whether there is evidence that $\beta$ is different inside and outside molecular clouds. Our results confirm the radial variations of $\beta$ seen in previous studies. However, we find little difference between the average $\beta$ inside molecular clouds compared with that outside molecular clouds, in disagreement with models that predict an increase of $\beta$ in dense environments. Finally, we find some clouds traced by dust with very little CO, which may be either clouds dominated by atomic gas or clouds of molecular gas that contain little CO.

Key words: ISM: clouds – galaxies: individual: M31 – galaxies: ISM – Local Group.

1 INTRODUCTION

Although primarily known for its obscuration effects on starlight, interstellar dust plays many other important roles in the interstellar medium (ISM): heating the ISM through the photoelectric effect (Draine 1978), providing a cooling mechanism via its infrared emission in dense regions, shielding molecules from dissociating radiation, and even providing a surface for catalysing the formation of hydrogen molecules (Gould & Salpeter 1963; Hollenbach & Salpeter 1971). Many authors have suggested that the continuum emission from interstellar dust can be used to trace the mass of gas in galaxies (e.g. Eales et al. 2012; Magdis et al. 2012; Groves et al. 2015; Scoville et al. 2016, 2017; Janowiecki et al. 2018; Liang et al. 2018; Tacconi et al. 2018), as an alternative to traditional tracers like carbon monoxide (CO). However, this method can only work if the properties of dust are universal, or if their variation with the environment or epoch is known.

The dust emissivity index ($\beta$) is an important property that acts as a modifier to the shape of the blackbody spectrum which describes the emission from dust. In the optically thin limit (where the optical depth $\tau \ll 1$), the specific intensity of dust emission is given by

$$I_v \propto B_v(T)v^{\beta},$$

where $B_v(T)$ is the Planck function and $v$ is the frequency. Smith et al. (2012) have used $Herschel$ observations to investigate the properties of the dust in the Andromeda Galaxy (M31), discovering that $\beta$ varies radially within the galaxy’s disc. This general trend has been confirmed by Draine et al. (2014) using independent $Herschel$ data for M31 but with a different method. Variations in $\beta$ have also been reported in two other large spiral galaxies within the Local Group, the Milky Way (MW) and the Triangulum Galaxy (M33). In M33, there is evidence for radial variations in $\beta$ and dust temperature, both of which decrease with the galactocentric radius (Tabatabaei et al. 2014). So far, however, we have very little understanding of what is causing such radial variations. Tabatabaei et al. (2014) have found that $\beta$ is higher in regions where there is molecular gas traced by $^{12}$CO($J=2\rightarrow1$) or strong H$\alpha$ emission in M33 but the authors did not investigate whether there is any difference in $\beta$ between low-density and high-density environments at the same radius. In the MW, the $Planck$ team have shown that $\beta$ decreases from smaller Galactic longitudes to larger Galactic longitudes ($Planck$ Collaboration XI 2014; see their fig. 9). They have also found an increase in $\beta$ by $\sim0.23$ in the regions dominated by molecular gas along the line of sight when compared with the more diffuse atomic medium ($Planck$ Collaboration XIV 2014; see their fig. 12), although, as in M33, it is not clear whether the increase of $\beta$ in dense environments is the explanation of any radial variation in $\beta$.

Radial variations in $\beta$ have also been seen in galaxies outside the Local Group. In a sample of 61 galaxies from Key Insights into Nearby Galaxies: Far-Infrared Survey with $Herschel$ (KINGFISH),

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Hunt et al. (2015) have found that the radial effects of $\beta$ can vary from one galaxy to another (see their fig. 10). For example, some galaxies show negative radial gradients (e.g. NGC 0337, NGC 3049, NGC 3077, NGC 4559, and NGC 4725), whereas others show positive radial gradients (e.g. NGC 1482, NGC 3773, NGC 4321, and NGC 4594). Evidence for variation in the global values of $\beta$ has come from a study of the gas and dust in 192 galaxies in the JCMT dust and gas In Nearby Galaxies Legacy Exploration (JINGLE) project (Lamperti et al. 2019; Smith et al. 2019). The authors find correlations between $\beta$ and properties such as stellar mass, stellar mass surface density, metallicity, H I mass fraction, star formation rate (SFR), specific SFR, SFR surface density, and the ratio of SFR and dust mass for these galaxies. The strongest positive correlation is found between $\beta$ and stellar mass surface density.

Our study focuses on variations in dust properties, in particular the dust emissivity index ($\beta$), within M31. Due to its proximity to us (at a distance of $\approx 785$ kpc; McGonnachie et al. 2005), we can learn about properties of dust and the ISM in M31 at the scale of individual molecular clouds. M31 also provides a unique perspective as the biggest spiral galaxy in the Local Group, with the added incentive that we can observe the galaxy from the outside, unlike observing the MW from within, which limits us from getting a global view of our Galaxy and has problems such as superimposed sources at different distances along the line of sight.

There are many archival data sets containing observations of M31 in different wavebands (Thilker et al. 2005; Braun et al. 2009; Dalcanton et al. 2012; Planck Collaboration XXV 2015), including key far-infrared and submillimetre observations from the Herschel Exploitation of Local Galaxy Andromeda (HELGA) survey (Fritz et al. 2012; Smith et al. 2012) and $^{12}$CO($J=1 \rightarrow 0$) observations (Nieten et al. 2006) made using the 30-m telescope at the Institut de Radioastronomie Millimétrique (IRAM) to trace the distribution of molecular gas over the whole galaxy. We take advantage of the high-resolution observations covering a part of M31 obtained with the Combined Array for Research in Millimeter-wave Astronomy (CARMA) interferometer to trace molecular gas (Schruba et al., in preparation). The central research question this work attempts to address is: Are the radial variations in the dust emissivity index ($\beta$) in the Andromeda Galaxy caused by an increase of $\beta$ in dense-molecular-gas regions? As such, we measure and compare $\beta$ in dense-molecular-gas regions with $\beta$ in non-dense regions.

Given the evidence from Fermi (Abdo et al. 2010), Planck (Planck Collaboration XIX 2011), and Herschel (Pineda et al. 2013) that there is CO-dark molecular gas in the MW, probably because of photodissociation of the CO molecule (Hollenbach & Tielens 1997), we trace clouds in two different ways, using CO emission and dust continuum emission. This allows us to carry out the additional interesting project of comparing the cloud catalogues produced by the two different methods.

This paper is structured as follows: We first describe the observational data that are used in this work (Section 2). Next, we outline our source extraction methodology (Section 3), followed by our results (Section 4) and discussion (Section 5). Finally, we summarise our conclusions in Section 6.

## 2 OBSERVATIONS

### 2.1 CARMA survey of Andromeda

We use a map of the $^{12}$CO($J=1 \rightarrow 0$) integrated intensity obtained from observations of M31 made using the CARMA interferometer. The data were taken as part of the ‘CARMA Survey of Andromeda’ (Schruba et al., in preparation) across an angular area of 365 arcmin$^2$ and an on-sky physical area covering 18.6 kpc$^2$, which includes parts of M31’s inner 5 kpc gas ring and 10 kpc dusty, star-forming ring (Habing et al. 1984). This corresponds to a deprojected physical area of $\approx 84.6$ kpc$^2$ at our chosen distance to M31 (785 kpc) and inclination (77°). The region covered in our work is highlighted in Fig. 1. The high-resolution CARMA data were combined with observations from the IRAM 30-m telescope (Nieten et al. 2006), to capture the emission at large angular scales missed by the interferometric data (Caldú-Primo & Schruba 2011; Schruba et al., in preparation). Without this correction, 43 per cent of the CO flux would have been lost (Caldú-Primo & Schruba 2016). The data were merged using the $\text{immerge}$ task from the data reduction software $\text{miriad}$ (Sault, Teuben & Wright 1995), which performs

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**Figure 1.** Map of dust emissivity index ($\beta$) made from PPMAP. The maroon–yellow part shows the region of the $\beta$ map overlapping the $^{12}$CO($J=1 \rightarrow 0$) map made with CARMA, partially covering the inner ring at 5 kpc and the dusty, star-forming ring at 10 kpc.
a linear combination of the low-resolution and high-resolution data cubes in Fourier space. The data were merged using unit weights for the single-dish data at all spatial frequencies, which leaves the CARMA beam unchanged (Schruba et al., in preparation). The merged CARMA + IRAM data have a pixel scale size of 2 arcsec and the beamwidth is ~5.5 arcsec or 20 pc. For our analysis, we convolve the 5.5 arcsec $^{12}$CO$(J = 1 \rightarrow 0)$ map with a Gaussian kernel of full width at half-maximum (FWHM) $\theta_{\text{kernel}} = \sqrt{\theta_{\text{arcsec}}^2 - \theta_{\text{arcsec}}^2} = 5.8$ arcsec to obtain a resulting map with a FWHM of 8 arcsec – the effective resolution of our dust observations (see Section 2.2). The map is then reprojected to match the 4 arcsec pixel scale size of our dust maps in order to ensure consistent pixel-by-pixel analysis across the CO and dust data.

Caldú-Primo & Schruba (2016) give a 1σ error in the molecular gas mass surface density derived from their CO observations, on the assumption of a line width of 10 km s$^{-1}$, of 0.83 M$_{\odot}$ pc$^{-2}$. We have estimated the error in the molecular column density using the robust empirical technique of calculating the standard deviation in groups of pixels. This is a conservative technique since the error will also include a contribution from the variance in the distribution of the molecular gas. We find no evidence for a variation in sensitivity across the image and estimate that the 1σ sensitivity of our CO integrated intensity map is 1.20 K km s$^{-1}$. If we adopt a constant conversion factor, $X_{\text{CO}} = 1.9 \times 10^{20}$ cm$^{-2}$ (K km s$^{-1}$)$^{-1}$ (Strong & Mattox 1996), this corresponds to a molecular gas mass surface density of 3.63 M$_{\odot}$ pc$^{-2}$. We do not account for helium in our molecular gas mass surface density ($\Sigma_{\text{H}_2}$) calculations. The molecular gas mass surface density including helium can be calculated using

$$\Sigma_{\text{gas, mol}} = 1.36 \times \Sigma_{\text{H}_2}.$$  

### 2.2 PPMap algorithm applied to Herschel observations

Smith et al. (2012) have produced dust temperature ($T_{\text{dust}}$), dust emissivity index ($\beta$), and dust mass surface density ($\Sigma_{\text{dust}}$) maps of M31 by applying spectral energy distribution (SED) fitting to continuum emission observations made by Herschel centred at wavelengths of 70, 100, 160 and 250, 350, 500 μm. In their work, Smith et al. (2012) convolved all Herschel images to the resolution of the lowest resolution image and made the assumption that all dust was at a single temperature along the line of sight.

Since then, Marsh, Whitworth & Lomax (2015) have created a way of increasing the spatial resolution of maps of the dust properties through a procedure called point process mapping (PPMAP). When applied to the Herschel data, PPMap provides data products with an angular resolution of 8 arcsec, roughly corresponding to the resolution of the shortest Herschel wavelength (70 μm). By removing the requirement to convolve the images to Herschel’s lowest angular resolution of 36 arcsec (at 500 μm), PPMap allows us to probe spatial scales of ~30 pc.

PPMap discards the assumption that the $T_{\text{dust}}$ and $\beta$ along the line of sight is uniform, with the only key assumption being that dust emission is in local thermal equilibrium and is optically thin. Through the application of PPMap to Herschel observations, Whitworth et al. (2019) have produced $T_{\text{dust}}$, $\beta$, and $\Sigma_{\text{dust}}$ maps of M31 (see their figs 2b and c), which we use in our analysis in this paper. PPMap produces estimates of the dust mass surface density in each pixel at a set of discrete dust temperatures and emissivity values. In creating their dust maps, Whitworth et al. (2019) have used 12 values of dust temperature ($T_{\text{dust}} = 10.0, 11.6, 13.4, 15.5, 18.0, 20.8, 24.1, 27.8, 32.2, 37.3, 43.2, and 50.0$ K) and four values of dust emissivity index ($\beta = 1.5, 2.0, 2.5, and 3.0$). We have averaged over these intervals to create a map of $\Sigma_{\text{dust}}$ and maps of the mass-weighted $T_{\text{dust}}$ and $\beta$ values. We choose to perform our analysis on the average $T_{\text{dust}}$, $\beta$, and $\Sigma_{\text{dust}}$ maps because these are what we need for comparison with the work of Smith et al. (2012) and Draine et al. (2014). This is also a more conservative approach than using the data in each PPMap slice because although Marsh et al. (2015) have tested the PPMap slice results using synthetic observations of the MW, there have been no such tests done using synthetic observations on extragalactic scales.

Further details about the PPMap algorithm can be found in the work of Marsh et al. (2015), with the full method for creating the M31 maps described in Whitworth et al. (2019). We have removed a scaling factor from the $\Sigma_{\text{dust}}$ map for our analysis.1

The minimum value in our map of dust mass surface density is $\Sigma_{\text{dust}} \approx 0.05$ M$_{\odot}$ pc$^{-2}$, which corresponds roughly to a 5σ detection. We focus on the CARMA-observed region within the PPMap dust maps (see Fig. 1) for ease of comparison of dust properties with observations of $^{12}$CO($J = 1 \rightarrow 0$). The rise in $\beta$ with galactocentric radius in the central 3 kpc of M31 followed by a fall in $\beta$ beyond this radius, first seen by Smith et al. (2012), has been confirmed by Whitworth et al. (2019) in their reanalysis of the original Herschel data using PPMap.

### 2.3 H1 ancillary data

We use the H1 column density map of M31 obtained by Braun et al. (2009) using the Westerbork Synthesis Radio Telescope (WSRT) array at an angular resolution of 30 arcsec and spatial resolution of ~110 pc. The observed H1 in M31 has a smooth distribution with a ‘clumping factor’ of $\sim 1.3$ (Leroy et al. 2013). Therefore, although these data do not match the resolution of our CO and dust maps, the H1 map provides an estimate of the contribution of the smooth H1 distribution at the position of a molecular cloud. We emphasize that our estimate of the H1 contribution at the scale of an individual cloud is at best a rough estimate. The H1 map has not been corrected for opacity effects as the best method of doing this is still uncertain. Localised opacity corrections can lead to an increase of the inferred H1 gas mass by ~30 per cent or more (e.g. Braun et al. 2009; Koch et al. 2021), and so this an additional uncertainty in our estimates of the contribution of the H1 at the position of a cloud. The data have a pixel scale size of 10 arcsec, which we reproject into 4 arcsec × 4 arcsec pixels to match the PPMap map projection. We focus on the CARMA-observed region within this reprojected map. The 1σ sensitivity of the H1 column density map is 4.05 × 10$^{19}$ cm$^{-2}$, corresponding to an atomic gas mass surface density value of 0.32 M$_{\odot}$ pc$^{-2}$. We do not account for helium in our atomic gas mass surface density ($\Sigma_{\text{H}_1}$) calculations.

### 2.4 Astrometric offsets

We estimate the astrometric accuracy of the instruments as the FWHM of the beam divided by the signal-to-noise ratio of the pointing source observations. Typical pointing calibrator observations reach a signal-to-noise level of ~10. Therefore, we estimate that the CARMA object positions are accurate to within 0.5 arcsec. The IRAM astrometric offset should not be more than 2.3 arcsec. We

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1 PPMap produces a map of the total mass surface density of interstellar matter (gas + dust) using a dust mass opacity coefficient of $\kappa_{350, \text{PPMap}} = 0.010$ m$^2$ kg$^{-1}$. Here, we convert the PPMap results to the surface density of dust alone using $\kappa_{350} = 0.192$ m$^2$ kg$^{-1}$ (Draine 2003) and a gas-to-dust ratio of 100.
expect that the positions of objects from the raw Herschel maps are accurate to 2arcsec.\(^2\) We do not think these astrometric offsets are likely to be significant because the smallest area of a cloud in our source extraction has been taken as 10 pixels (see Table 1), making a cloud much larger than the beam of the CO map and the effective beam of the dust map.

3 SOURCE EXTRACTION

3.1 Dendrogram

A common method for accessing the hierarchical structure of molecular clouds is to use a dendrogram. A dendrogram allows us to segregate the denser regions from the more diffuse regions and access any nested substructure. We compute dendrograms for the CO and PPMAP maps using the PYTHON package ASTRODENDRO 0.2.0 (Rosolowsky et al. 2008). This package allows us to construct an empirically motivated segmentation of ‘clouds’ within our data. If we adopt the analogy within the ASTRODENDRO documentation,\(^3\) a dendrogram can be represented as a ‘tree’ with a trunk, and the nested structures of this trunk are called ‘branches’, which contain substructures in the form of ‘leaves’. The resulting sources (molecular clouds) extracted by our computed dendrograms are analogous to leaves on the tree.

The dendrogram computation requires the specification of three parameters.

(i) The minimum intensity value of a pixel (\(\text{min}\_\text{value}\)): The dendrogram will discard any pixels fainter than this threshold.

(ii) The minimum significance value for a leaf (nested structure) to be identified as an independent object (\(\text{min}\_\text{delta}\)): If the difference between a new local maximum pixel value (peak of prospective structure) and the last pixel value examined in an existing structure (point at which the new structure may be merged onto the existing one) is greater than this parameter, a structure is considered to be significant enough to be independent.

(iii) The minimum size (defined in number of pixels) required to identify a structure as an independent object (\(\text{min}\_\text{npix}\)): If the number of pixels in a structure does not match or exceed this value, the structure is merged with an existing structure.

For our work, we select these parameter values carefully as described in Sections 3.2 and 3.3. Further details about the dendrogram algorithm can be found in the documentation of the ASTRODENDRO package and in the work of Rosolowsky et al. (2008).

3.2 Identifying molecular clouds with CO

We choose to run the dendrogram on the CO integrated intensity map rather than trying to find clouds in the original CO data cube. Our reasoning for this is as follows: Firstly, although the CO linewidth information would allow us to distinguish whether a cloud found by the dendrogram is a single source or multiple clouds along the line of sight, knowledge of the 3D structure of the gas does not provide any benefit in understanding the cause of the spatial variation in the dust emissivity index as we do not have access to matching information on our dust emissivity index map. Moreover, the CO method could still suffer from the problem that approximately one-third of the molecular gas may not contain any CO (see Section 1) and so would not give us a perfect benchmark catalogue of clouds to compare all other catalogues with. In order to make as direct a comparison as possible of the two tracers (CO and dust) for finding clouds, we compute the dendrogram on the CO integrated intensity map.

The input parameters used for our source extraction are listed in Table 1. To calculate the 1σ noise threshold, we select a region within our smoothed and reprojected map where we see no obvious sources and calculate the standard deviation (\(\sigma_{\text{rms}}\)) of pixel values. Our minimum detection threshold (\(\text{min}\_\text{value}\)) is \(3\sigma\), which we add to a mean background level of \(0.97\ \text{K km s}^{-1}\) to account for a diffuse constant level of CO present beneath denser structures. For our minimum structure significance threshold (\(\text{min}\_\text{delta}\)), we choose a value of \(2\sigma\). This means that clouds will have a peak CO intensity of at least \(5\sigma\) above the mean background level. The final key requirement for our dendrogram extraction is that an independent structure should have a minimum size (\(\text{min}\_\text{npix}\)) of 10 pixels. This size threshold is larger than the beam area (calculated using the diameter as the FWHM = 8 arcsec) divided by the area of one pixel.

Clouds are defined as the objects at the highest level of the dendrogram hierarchy (i.e. dendrogram ‘leaves’), containing no nested substructures. We find 140 sources from our CO observations which we assume are molecular clouds traced by CO.

3.2.1 Determining the gas and dust properties of clouds

The molecular gas mass surface density in a pixel, \(\Sigma_{\text{H}_2}\), is related to the CO intensity in the pixel, \(I_{\text{CO}}\), by

\[
\Sigma_{\text{H}_2} = I_{\text{CO}} \times X_{\text{CO}} \times m(\text{H}_2),
\]

where \(m(\text{H}_2)\) is the mass of a hydrogen molecule. We adopt a constant \(X_{\text{CO}} = 1.9 \times 10^{20} \text{ cm}^{-2} \text{ (K km s}^{-1}\text{)}^{-1}\) from Strong & Mattox (1996).

We calculate the total CO-traced molecular gas mass in each cloud by multiplying the gas mass surface density values by the area of a pixel and summing over all gas mass values in the dendrogram leaf. We also calculate the dust-mass-weighted mean \(T\) (\(\text{dust}\)) and mean \(T\) (\(\text{cloud}\)) for our clouds using the pixels corresponding to our dendrogram leaves in these maps. We calculate the total dust mass in a cloud by multiplying the \(\Sigma_{\text{dust}}\) values from the PPMAP map by the area of a pixel and summing over all dust mass values in the dendrogram leaf. The CO-traced molecular gas-to-dust ratio (GDR) is obtained for each cloud by

\[
\text{CO-traced molecular GDR} = \frac{M_{\text{H}_2}}{M_{\text{dust}}}.
\]

where \(M_{\text{H}_2}\) is the total CO-traced molecular gas mass in the cloud and \(M_{\text{dust}}\) is the total mass of dust in the cloud.

The gas mass surface density of atomic hydrogen in a pixel is given by

\[
\Sigma_{\text{H}} = N(\text{H}) \times m(\text{H}),
\]

where \(N(\text{H})\) is the column density of atomic hydrogen obtained from the H1 map and \(m(\text{H})\) is the mass of a hydrogen atom. The total atomic gas mass in the cloud, \(M_{\text{H}}\), is calculated by multiplying \(\Sigma_{\text{H}}\) with the area of a pixel and summing over all atomic gas mass values in the dendrogram leaf. The total (molecular + atomic) GDR is obtained by

\[
\text{Total GDR} = \frac{(M_{\text{H}_2} + M_{\text{H}})}{M_{\text{dust}}}.\]

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\(^2\)SPIRE astrometry-corrected maps, readme: http://archives.esac.esa.int/hsa/legacy/HIPPI/SPIRE/SPIRE-P/ASTROMETRY/README.html

\(^3\)ASTRODENDRO documentation: https://dendrograms.readthedocs.io/en/stable/
3.2.2 Determining dust properties in non-dense regions

We compare the values of $\beta$ and $T_{\text{dust}}$ in the pixels within our clouds with the values of the pixels that fall outside the clouds (non-dense regions). We identify all the pixels that fall within the non-dense regions by masking out pixels within our dendrogram leaves. We split the pixels into two radial bins (5–7.5 and 9–15 kpc) and create histograms of $T_{\text{dust}}$ and $\beta$ values at these radii, both inside and outside dense regions (see Section 4.2).

3.3 Identifying molecular clouds with dust

We also apply the dendrogram algorithm to our dust mass surface density map and identify sources (dendrogram ‘leaves’) that we assume are molecular clouds traced by dust. Our motivation for finding dust-selected clouds stems from the existence of molecular gas in the MW which is not traced using the traditional CO method (see Section 1).

Our dendrogram parameter selection is based on the work of the Planck team (Planck Collaboration XIX 2011) and allows us to extract a similar number of clouds as in our CO-selected catalogue. Fig. 2 is an adaptation of fig. 6 from Planck Collaboration XIX (2011) showing the correlation between the optical depth of dust at a frequency of 857 GHz ($\tau_{857\text{GHz}}$) versus the combined atomic and molecular gas column density ($N_{\text{H}}^\text{tot}$) in the MW. The colour scale shows the number density of pixels on a logarithmic scale. At $N_{\text{H}}^\text{tot}$ below $8.0 \times 10^{21}$ H cm$^{-2}$, the observed correlation between $\tau_{857\text{GHz}}$ and $N_{\text{H}}^\text{tot}$ (blue circles) follows a linear relationship in linear space (modelled by the red line). Above $N_{\text{H}}^\text{tot} \approx 5 \times 10^{22}$ H cm$^{-2}$, $N_{\text{H}}^\text{tot}$ is dominated by contributions from CO, and $\tau_{857\text{GHz}}$ is visually consistent with the observed linear correlation. An excess of $\tau_{857\text{GHz}}$ is seen between these two column density values (marked by the vertical red dashed lines) as the blue circles deviate from the linear relationship. This deviation from the modelled linear relationship is attributed by the Planck team to CO-dark molecular gas.

We select the optical depth of dust $\tau_{857\text{GHz}} = 3.0 \times 10^{-4}$ (see highest black dotted line in Fig. 2) to derive our input dendrogram parameters because it roughly corresponds to the upper limit of the deviation seen between the blue circles and the red line. This allows us to select a min_value below this (see lowest black dotted line in Fig. 2) and possibly pick up regions of CO-dark molecular gas.

A frequency of 857 GHz roughly corresponds to a wavelength of 350 $\mu$m. We substitute our chosen $\tau_{857\text{GHz}} = 3.0 \times 10^{-4}$ and the dust mass absorption coefficient, $\kappa_{350,\text{Draine}} = 0.192$ m$^2$ kg$^{-1}$ (from Draine 2003), into equation (6) to find the corresponding $\Sigma_{\text{dust}}$:

$$
\Sigma_{\text{dust}} = \frac{\tau_{857\text{GHz}}}{\kappa_{350,\text{Draine}}} = \frac{3.0 \times 10^{-4}}{0.192\text{ m}^2\text{kg}^{-1}} = 0.74 \text{ M}_\odot\text{pc}^{-2}
$$

Figure 2. Adaptation of fig. 6 from Planck Collaboration XIX (2011) showing the correlation between the dust optical depth $\tau$ at 857 GHz and the total gas column density. The dashed vertical red line at $N_{\text{H}}^\text{tot} \approx 8.0 \times 10^{20}$ H cm$^{-2}$ shows the threshold above which excess thermal emission from dust traces CO-dark molecular gas. The dashed vertical red line at $N_{\text{H}}^\text{tot} \approx 5.0 \times 10^{21}$ H cm$^{-2}$ shows the threshold at which the gas column density becomes dominated by the molecular gas traced by CO emission. The lower black dotted horizontal line shows the $\tau_{857\text{GHz}}$ value used to calculate the min_value dendrogram parameter for our $\Sigma_{\text{dust}}$ map. The difference between the black dotted lines shows the $\tau_{857\text{GHz}}$ value used to calculate the min_delta dendrogram parameter. All of our clouds have a peak dust mass surface density of $\Sigma_{\text{dust}} \geq 0.74 \text{ M}_\odot\text{pc}^{-2}$ (equation 6), equivalent to a peak optical depth of $\tau_{857\text{GHz}} \geq 3.0 \times 10^{-4}$ (upper black dotted line). Credit: Planck Collaboration XIX (2011), A&A, 536, A19, reproduced with permission © ESO.

Table 1. Input dendrogram parameters for source extraction.

<table>
<thead>
<tr>
<th>Data</th>
<th>Minimum value min_value</th>
<th>Minimum structure significance value min_delta</th>
<th>Minimum no. of pixels min_npix</th>
</tr>
</thead>
<tbody>
<tr>
<td>CO</td>
<td>4.57 K km s$^{-1}$</td>
<td>2.40 K km s$^{-1}$</td>
<td>10</td>
</tr>
<tr>
<td>Dust</td>
<td>0.44 M$_\odot$ pc$^{-2}$</td>
<td>0.296 M$_\odot$ pc$^{-2}$</td>
<td>10</td>
</tr>
</tbody>
</table>

To propagate the error in molecular GDR values, we make the approximation that the noise from the CO map dominates over error contributions from PIPMAP dust measurements. To propagate the error in total GDR values, we add the noise from both the CO and HI maps in quadrature. We neglect systematic errors from PIPMAP. The error in the CO intensity and HI column density within each cloud are calculated using $N_{\text{pix,beam}} \times \sqrt{N_{\text{pix,cloud}}/N_{\text{pix,beam}} \times \sigma_{\text{std}}}$, where $\sigma_{\text{std}}$ is the standard deviation of pixel values within a region of each map where we see no obvious sources. $N_{\text{pix,beam}}$ is the number of pixels in the beam and $N_{\text{pix,cloud}}$ is the number of pixels in a cloud.

We calculate the total CO-traced molecular gas mass within our dust-selected clouds by finding the corresponding pixel locations in the CO map, and following the methodology described in Section 3.2.
Figure 3. Map of $^{12}$CO($J=1\rightarrow0$) intensity from CARMA + IRAM, convolved to 8 arcsec resolution and reprojected to 4 arcsec pixel size. Orange contours show the 140 sources extracted using a dendrogram.

Figure 4. Map of dust mass surface density produced by PIMAP at 8 arcsec resolution and 4 arcsec pixel size. Black contours show the 196 sources extracted using a dendrogram.
We also calculate the total dust mass of each cloud, CO-traced molecular GDR, and total GDR as described in Section 3.2.

Fig. 3 shows our CO-selected clouds and Fig. 4 shows our dust-selected clouds.

4 RESULTS

4.1 Properties of extracted clouds

We obtain two molecular cloud catalogues: one of clouds traced by CO (Table A1) and one of clouds traced by dust (Table A2). In this section, we provide our analysis of the cloud properties.

Fig. 5 shows the distribution of molecular cloud masses for our CO-selected and dust-selected catalogues. We fit a power-law model to our cloud masses using the scipy Levenberg–Marquardt least-squares minimization package lmfit. We fit a power-law of the form:

\[ dN_{\text{cloud}} = k M_{\text{H}_2}^\alpha \ dM_{\text{H}_2}, \]

where \( dN_{\text{cloud}} \) is the number of molecular clouds in the mass interval \((M_{\text{H}_2}, M_{\text{H}_2} + dM_{\text{H}_2})\), \( k \) is a normalization factor, \( M_{\text{H}_2} \) is the total CO-traced molecular gas mass of the cloud, and \( \alpha \) is the power-law exponent.

Since the CO map is used to calculate the molecular gas mass of all dust-selected clouds, only the clouds with at least a 3σ detection in the CO map have been included in our fits. Of 196 dust-traced clouds, 177 have a CO detection above this threshold. The molecular gas masses of the CO-selected clouds range from \(3.9 \times 10^4 \leq M_{\text{cloud}} \leq 7.1 \times 10^5 \) M\(_\odot\). The molecular gas masses of the dust-selected clouds with a 3σ CO detection range from \(1.8 \times 10^4 \leq M_{\text{cloud}} \leq 1.3 \times 10^5 \) M\(_\odot\). We only include clouds with a molecular gas mass \(>10^5 \) M\(_\odot\) \(=7.9 \times 10^4 \) M\(_\odot\) in our fitting because the decrease in the number of clouds at lower masses suggests that our mass functions are increasingly incomplete at lower masses. We bin data from both catalogues into 22 bins that are equidistant in logarithmic space between the mass limits \(10^2\) and \(10^6\) M\(_\odot\). Our fits are performed in linear space and we assume Poisson errors.

The best-fitting \( \alpha \) values for clouds from each catalogue and the reduced \( \chi^2 \) parameter for our fits are given in Table 2. The reduced \( \chi^2 \) parameter for both catalogues is close to 1, indicative of a good fit. The slope values of \(\approx 2\) are similar to measurements of the slope of the cloud mass function in the MW and nearby galaxies (e.g. Rice et al. 2016; Rosolowsky et al. 2021). They are also similar to the value for M31 by Kirk et al. (2015): \( \alpha = 2.34 \pm 0.12 \).

Table 3 shows the 16th, 50th, and 84th percentiles of cloud properties for both the CO-selected and the dust-selected clouds.

4.2 Radial variations in dust properties of clouds traced by CO

Fig. 6 shows the mean \( T_{\text{dust}} \), mean \( \beta \), CO-traced molecular GDR, and the total GDR as a function of radius for clouds from the CO-selected catalogue. We find that our extracted clouds are located within two ranges of radius: between 5 and 7.5 kpc and between 9 and 15 kpc, reflecting the inner ring at \( \approx 5 \) kpc and the dusty star-forming ring at \( \approx 10 \) kpc.

Fig. 7 shows the mean \( T_{\text{dust}} \) and mean \( \beta \) in these two radial bins, both for the pixels inside and outside clouds. The left-hand column of Fig. 7 shows histograms of the \( T_{\text{dust}} \). We see that the median \( T_{\text{dust}} \) increases with the galactocentric radius. The distributions of \( T_{\text{dust}} \) for pixels inside clouds but at different radii are significantly different (two-sided Mann–Whitney \( U \) test, \( P \)-value \(\ll 0.01 \); see Table 4 for full results), as are the distributions of \( T_{\text{dust}} \) for the pixels outside clouds (\( P \)-value \(\ll 0.01 \)). However, the temperature difference is fairly small. The average \( T_{\text{dust}} \) is 1.57 K higher for the clouds in the 10 kpc ring than for the clouds in the 5 kpc ring, and the average \( T_{\text{dust}} \) is 0.32 K higher for the pixels outside the clouds in the 10 kpc ring than for the pixels outside the clouds in the 5 kpc ring. In both radial bins, the distributions of \( T_{\text{dust}} \) inside and outside molecular clouds are significantly different (\( P \)-value \(\ll 0.01 \)), although again the difference in temperature is actually quite small, \(\approx 0.6\)–\(0.7 \) K.

The right-hand column of Fig. 7 shows our most interesting result, with histograms of \( \beta \) in pixels inside and outside molecular clouds, split into the two radial bins. The distributions of \( \beta \) for pixels inside clouds at different radii are significantly different (two-sided Mann–Whitney \( U \) test, \( P \)-value \(\ll 0.01 \); see Table 4 for full results), as are the distributions of \( \beta \) for the pixels outside clouds (\( P \)-value \(\ll 0.01 \)).

The average \( \beta \) is 0.34 lower for the clouds in the 10 kpc ring than for the clouds in the 5 kpc ring, and the average \( \beta \) is 0.24 lower for the pixels outside the clouds in the 10 kpc ring than in the 5 kpc ring. Our result is consistent with the decreasing trend in \( \beta \) with increasing galactocentric radius (going from \( \approx 2.5 \) to \( \approx 1.9 \)) discovered by Smith et al. (2012) beyond a radius of 3.1 kpc. Our result is also in agreement with the results from other Herschel observations of M31 by Draine et al. (2014), which found larger \( \beta \) in the central \(\approx 7 \) kpc than in the outer disc (see their fig. 13). Although Draine et al. (2014) find a shallower decrease in \( \beta \) beyond \(\gtrsim 7 \) kpc than Smith et al. (2012), our result agrees with the general trend found by both studies of a radial decrease in \( \beta \) between the radii of 5 and 15 kpc.

In both radial bins, the distributions of \( \beta \) inside and outside molecular clouds are significantly different (\( P \)-value \(\ll 0.01 \)). However, the more interesting aspect of our result is that there is a much smaller difference between the average \( \beta \) inside molecular clouds compared to outside molecular clouds in both radial bins. The median value of \( \beta \) is only greater by 0.07 inside clouds in the 5 kpc ring and is actually
Table 3. Statistical properties of clouds extracted from the $^{12}$CO($J=1\rightarrow0$) map and dust mass surface density map. Values have been rounded to 1 decimal place.

<table>
<thead>
<tr>
<th>Properties</th>
<th>CO-selected</th>
<th>Dust-selected</th>
</tr>
</thead>
<tbody>
<tr>
<td>No. of sources extracted</td>
<td>140</td>
<td>196</td>
</tr>
<tr>
<td>50th percentile total CO-traced molecular gas in cloud ($M_\odot$)</td>
<td>$9.42_{-0.9}^{+0.8} \times 10^4$</td>
<td>$7.1_{-0.6}^{+0.6} \times 10^4$</td>
</tr>
<tr>
<td>50th percentile total dust mass in cloud ($M_\odot$)</td>
<td>$2.87_{-1.8}^{+2.0} \times 10^3$</td>
<td>$5.5_{-2.4}^{+4.4} \times 10^3$</td>
</tr>
<tr>
<td>50th percentile density-weighted average $T_{\text{dust}}$ in cloud (K)</td>
<td>$15.6_{-1.9}^{+2.1}$</td>
<td>$14.6_{-1.8}^{+2.0}$</td>
</tr>
<tr>
<td>50th percentile density-weighted average $\beta$ in cloud</td>
<td>$2.1_{-0.0}^{+0.0}$</td>
<td>$2.2_{-0.0}^{+0.0}$</td>
</tr>
<tr>
<td>50th percentile molecular GDR of cloud</td>
<td>$34.5_{-2.0}^{+2.0}$</td>
<td>$14.1_{-1.9}^{+2.0}$</td>
</tr>
<tr>
<td>50th percentile total GDR of cloud</td>
<td>$80.0_{-2.4}^{+2.4}$</td>
<td>$55.1_{-2.0}^{+4.0}$</td>
</tr>
<tr>
<td>50th percentile equivalent radius of cloud (pc)</td>
<td>$36.9_{-0.7}^{+0.7}$</td>
<td>$47.8_{-1.3}^{+3.3}$</td>
</tr>
</tbody>
</table>

Figure 6. Radial distribution of gas and dust properties of clouds from the CO-selected catalogue. Each scatter point represents a dendrogram leaf (molecular cloud). The light-grey crosses show the 16th, 50th, and 84th percentiles of each cloud property in the 5–7.5 kpc radial bin and the 9–15 kpc radial bin. First row: radial distribution of mean $T_{\text{dust}}$ in each cloud. Second row: radial distribution of mean $\beta$ in each cloud. Third row: radial distribution of CO-traced molecular GDR of each cloud. Fourth row: radial distribution of total ($H_1 + H_2$) GDR of each cloud. The GDR error bars have been calculated using the method described in Section 3.2.1.

less by 0.03 inside the clouds in the 10 kpc ring. Therefore, we find no evidence for the radial variations in $\beta$ in M31 being caused by a large change in $\beta$ in regions of dense gas.

4.3 The gas-to-dust ratio in clouds found using the two methods
The left-hand column of Fig. 8 shows histograms of the CO-traced molecular GDR of clouds from both of our cloud catalogues. The
median molecular GDR of clouds from the dust-selected catalogue is roughly half the value for the CO-selected catalogue. We compare the two distributions using a Mann–Whitney $U$ test, finding that the distributions are significantly different ($P$-value $\ll 0.01$; see Table 4 for full results). The right-hand column of Fig. 8 shows histograms of the total (H$_1 + $H$_2$) GDR of clouds from both of our cloud catalogues. We compare the two distributions using the Mann–Whitney $U$ test, again finding a significant difference ($P$-value $< 0.01$), with the GDR for the dust-selected clouds being lower than the GDR for the CO-selected clouds.

5 DISCUSSION

5.1 Dust emissivity index inside and outside molecular clouds

Smith et al. (2012) have found radial variations in $\beta$ in M31, with the value of $\beta$ decreasing from $\simeq 2.5$ at a radius of 3 kpc to $\simeq 1.8$ at 12 kpc. Draine et al. (2014) have also found, using a different Herschel data set and a different method, the same general trend, with $\beta$ decreasing from a value of $\simeq 2.35$ at a radius of 3 kpc to a value of $\simeq 2.0$ at a radius of 12 kpc. Some possible causes of these variations are large grain coagulation or the accretion of a mantle in denser environments since some dust models (e.g. Köhler, Ysard & Jones 2015) predict that this will lead to an increase in the value of $\beta$ by 0.3–0.5.

In our study, we find a much smaller difference (of order 0.03–0.07) between the median values of $\beta$ in low-density and high-density environments at the same radius than the much larger radial change. Our results are similar to the findings of Roman-Duval et al. (2017) in the Magellanic Clouds, who find no correlation between $\beta$ and gas mass surface density at spatial scales of 75 pc in the Large Magellanic Cloud and 90 pc in the Small Magellanic Cloud. Our result contrasts with the increase in $\beta$ found along sightlines dominated by molecular gas in the MW by Planck Collaboration XIV (2014). The Planck team find that $\beta$ increases from 1.75 in the atomic medium of the Galactic plane to 1.98 in the molecular medium. Our result also contrasts with what has been found in M33 where $\beta$ (from SED fitting of Herschel observations at $\approx 150$ pc spatial scales) is strongly and positively correlated with molecular gas traced by $^{12}$CO(J = 2→1) emission (Tabatabaei et al. 2014). The authors do not attempt to separate
effects of radius on $\beta$ from the effects of a dense environment in their study. Therefore, the apparent increase in $\beta$ in dense environments in M31 might be caused by a radial gradient that is unconnected to gas density but caused by there being more clouds at small radii in the galaxy. We note that our study is the first one that has tried to separate the effect of gas density and radius on $\beta$ in M31, although we examine a smaller dynamic range in galactocentric radii.

To explore the possibility that our results are the consequence of our choice of dendrogram parameters, we have run the dendrogram with a set of parameters that resulted in a peak CO threshold of 3$\sigma$ rather than 5$\sigma$. We found that our results were very similar.

Our strong conclusion therefore is that in M31, molecular gas surface density is not the driver of radial variations in $\beta$ at 30 pc spatial scales. This suggests that, at these spatial scales, large grain coagulation in dense environments is not having a big effect on $\beta$. The only alternative is that there is some genuine radial change in the composition or the structure of the dust grains as we move out through the galaxy. What these changes are is still a mystery, although one speculative possibility is that there is a radical change in the ratio of carbonaceous and silicate dust grains, perhaps caused by a changing C Si abundance ratio.

5.2 CO-dark gas?

In Section 4.3, we have compared the GDR distributions of clouds from the two catalogues, finding that the GDR for the dust-selected clouds is significantly lower than for the CO-selected clouds. Fig. 8 shows that there are clouds in the dust-selected catalogue with molecular GDR below $\approx 16$, which are not found in the CO-selected catalogue. Figs 9 and 10 show the overlap of our CO-selected and dust-selected clouds. Alongside dust-selected clouds with low CO emission, we serendipitously find some CO-selected clouds with low dust emission. We are uncertain of the astrophysical meaning of these clouds.

One possible explanation for clouds in the dust-selected catalogue with low molecular GDR is that they may simply be ephemeral structures in atomic gas. We have investigated this by adding in the atomic gas mass and finding the total (H I + H 2) GDR of clouds (see right-hand column of Fig. 8). However, even after adding in the atomic gas mass, we find some dust-selected clouds with lower total GDR than those of any of the CO-selected clouds.

Are the clouds showing lower levels of CO simply because they are smaller, which might suggest that they are not genuine molecular cloud structures? To answer this question, we have compared the physical sizes and total masses of the clouds in our dust-selected catalogue. We have found the total ISM mass of each cloud by multiplying the dust mass surface density of our cloud by a constant GDR of 100 (Hildebrand 1983) and calculating the total dust mass of the cloud as described in Section 3.3. We have used the dust mass rather than the CO to estimate the total ISM mass because we want to examine the possibility that there are molecular clouds made up of a large proportion of CO-dark gas. As for the physical size, we have simply taken the area of each cloud in square parsec.

The top panel of Fig. 11 shows the total ISM mass versus the molecular GDR in the dust-selected clouds coloured by cloud size. The bottom panel shows the total ISM mass versus total GDR of clouds. We find that there is still a population of large clouds ($\gtrsim 0.03$ kpc$^2$) with ISM mass greater than $10^6$ $M_\odot$ and low total GDR ($\lesssim 50$). There are some clouds with total GDR below $\approx 32$ that are not found in the CO-selected catalogue.

One possibility is that these are real molecular clouds with low levels of CO, i.e. clouds that are largely made up of CO-dark gas. The alternative explanation remains that these structures are largely made
Figure 9. Map of $^{12}$CO($J = 1 \rightarrow 0$) intensity taken from CARMA + IRAM, convolved to 8 arcsec resolution and reprojected to 4 arcsec pixel size. Orange contours show the 140 sources from the CO-selected catalogue. The red contours show the sources from the dust-selected catalogue.

Figure 10. Map of dust mass surface density produced by PPMAP at 8 arcsec resolution and 4 arcsec pixel size. The black contours show the 196 sources from the dust-selected catalogue. The blue contours show the sources from the CO-selected catalogue.
up of atomic gas, perhaps the result of source confusion along the line of sight. Although we have tried to correct for the contribution of atomic gas, we are limited by the resolution of the available radio data. The HARPS and SCUBA-2 High-Resolution Terahertz Andromeda Galaxy (HASHTAG) survey currently underway at the James Clerk Maxwell Telescope, which will give a higher resolution view of the dust, and a new Very Large Array survey, which will give a higher resolution view of the atomic gas, will help to distinguish between these two possibilities.

6 SUMMARY

M31 forms an excellent test bed for understanding the variations in dust properties and the interplay of dust and gas in a spiral galaxy similar to our own. We investigate whether radial variations in the dust emissivity index ($\beta$) are caused by an increase of $\beta$ in dense-molecular-gas regions in M31. We probe the ISM of M31 at significantly improved spatial resolution ($\approx 30$ pc) compared with previous studies, using combined CARMA + IRAM $^{12}$CO($J=1\rightarrow0$) observations and Herschel observations of the dust which have been reanalysed using the PPMAP algorithm. We use a dendrogram to create molecular cloud catalogues in two ways: using CO and dust as a tracer. Our key findings are as follows:

(i) We see a radial variation in $\beta$ in agreement with previous studies (e.g. Smith et al. 2012; Draine et al. 2014; Whitworth et al. 2019), with a decrease in $\beta$ going from the inner ring to the outer dusty, star-forming ring.

(ii) We find no evidence for radial variations in $\beta$ being caused by an increase of $\beta$ in dense-molecular-gas regions at radii between 5-7.5 kpc and 9-15 kpc.

(iii) We find a population of clouds in our dust-selected catalogue with lower median CO-traced molecular GDR than in our CO-selected catalogue. These may be clouds containing CO-dark molecular gas, although we are unable to rule out the possibility that these structures are confused with features in the atomic phase of the ISM.

We conclude that an increase of $\beta$ in dense-molecular-gas regions is not the prominent driver of the radial variations in $\beta$ in M31.

ACKNOWLEDGEMENTS

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\textsuperscript{4}ASTROPY webpage: https://www.astropy.org
\textsuperscript{5}CMOCEAN webpage: https://matplotlib.org/cmocean/
\textsuperscript{6}MATPLOTLIB webpage: https://matplotlib.org
\textsuperscript{7}MULTICOLORFITS GitHub page: https://github.com/pjcigan/multicolorfits
\textsuperscript{8}NUMPY webpage: https://numpy.org
\textsuperscript{9}SCIPY webpage: https://www.scipy.org/index.html
\textsuperscript{10}IPYTHON webpage: https://ipython.org
(Perez & Granger 2007) interactive shell. This research has made use of SAOImageDS911 (Joye & Mandel 2003) astronomical imaging and data visualization software.

**DATA AVAILABILITY**

The raw far-infrared data used for this work are available on the Herschel Science Archive.12 The raw 12CO(J = 1 → 0) data used for this work are available on the CARMA data archive. The raw H1 data used for this work are available upon request from Robert Braun.

**REFERENCES**

Harris C. R. et al., 2020, Nature, 585, 357
Hildebrand R. H., 1983, QJRAS, 24, 267

11SAOImageDS9 webpage: https://sites.google.com/cfa.harvard.edu/saoimage/downloads
12Herschel Science Archive: http://archives.esac.esa.int/hsa/whsa?ACTION =PUBLICATION&ID=2019MNRAS.489.5436W

**SUPPORTING INFORMATION**

Supplementary data are available at MNRAS online.

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**APPENDIX A: CLOUD CATALOGUES**
Table A1. Sample of 10 clouds from the CO-selected catalogue, ordered by peak CO intensity, and their properties. The full catalogue, including the cloud sizes, is available in the Supporting Information.

<table>
<thead>
<tr>
<th>Cloud ID</th>
<th>Mean $T_{\text{dust}}$ (K)</th>
<th>Mean $\beta$</th>
<th>Total CO-traced gas mass ($M_\odot$)</th>
<th>Total dust mass ($M_\odot$)</th>
<th>CO-traced GDR</th>
<th>RA (J2000) ($^\circ$)</th>
<th>Dec. (J2000) ($^\circ$)</th>
<th>Radius to peak (kpc)</th>
<th>Total gas mass ($M_\odot$)</th>
<th>Total GDR</th>
</tr>
</thead>
<tbody>
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<td>22</td>
<td>18.3</td>
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<td>$1.1 \times 10^4$</td>
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<td>11.3</td>
<td>41.6</td>
<td>11.9</td>
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<td>$3.8 \times 10^5$</td>
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<td>$8.1 \times 10^4$</td>
<td>35.6</td>
<td>11.0</td>
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<td>$5.6 \times 10^4$</td>
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<td>11.2</td>
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<td>11.5</td>
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<td>6.0</td>
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<td>41.9</td>
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</tbody>
</table>

Table A2. Sample of 10 clouds from the dust-selected catalogue, ordered by peak dust mass surface density, and their properties. The full catalogue, including the cloud sizes, is available in the Supporting Information.

<table>
<thead>
<tr>
<th>Cloud ID</th>
<th>Mean $T_{\text{dust}}$ (K)</th>
<th>Mean $\beta$</th>
<th>Total CO-traced gas mass ($M_\odot$)</th>
<th>Total dust mass ($M_\odot$)</th>
<th>CO-traced GDR</th>
<th>RA (J2000) ($^\circ$)</th>
<th>Dec. (J2000) ($^\circ$)</th>
<th>Radius to peak (kpc)</th>
<th>Total gas mass ($M_\odot$)</th>
<th>Total GDR</th>
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